

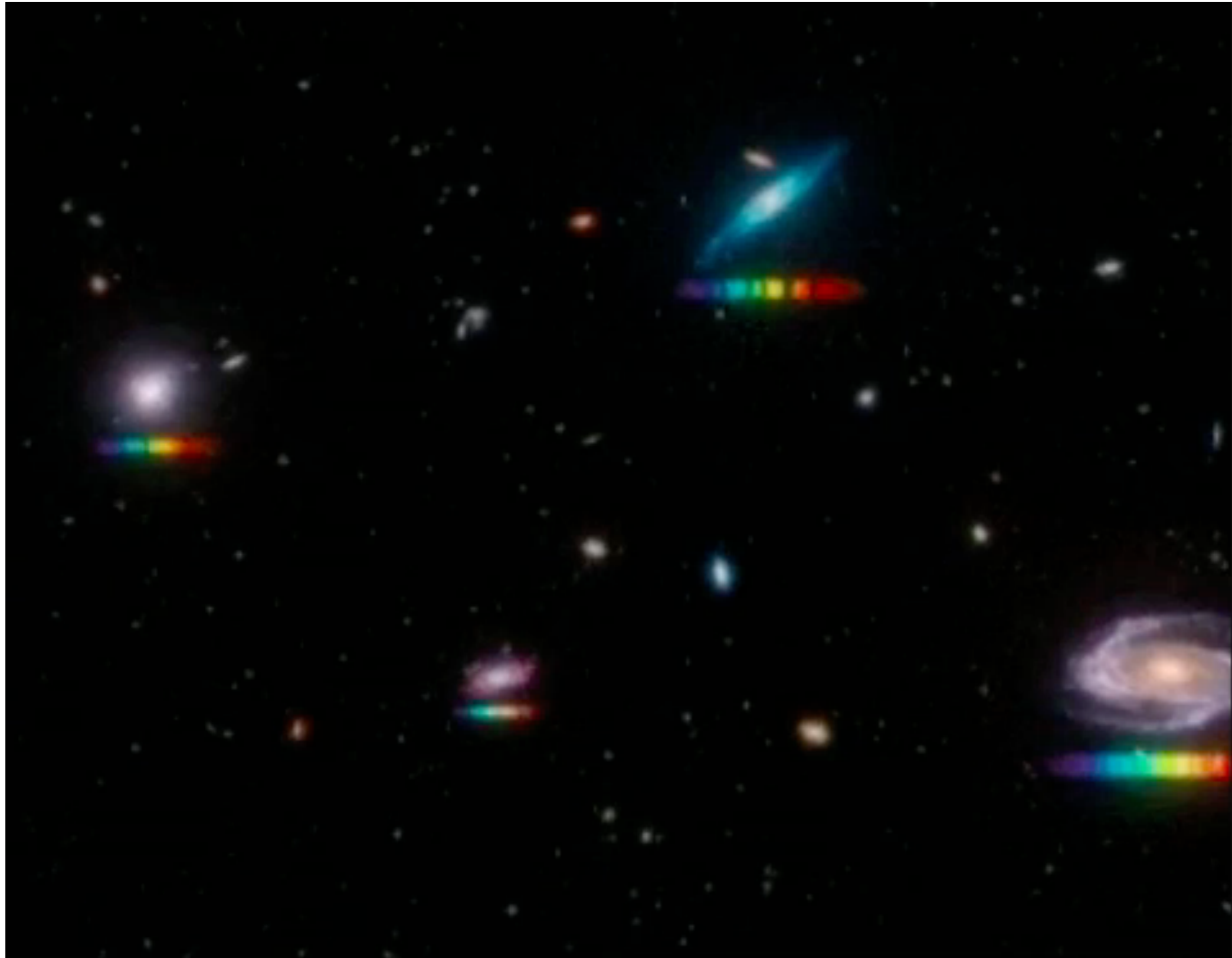
# Real-Time Cosmology with Lensed FRBs

**Adi Zitrin**  
**with David Eichler**  
**BGU**

# What is Real-Time Cosmology?

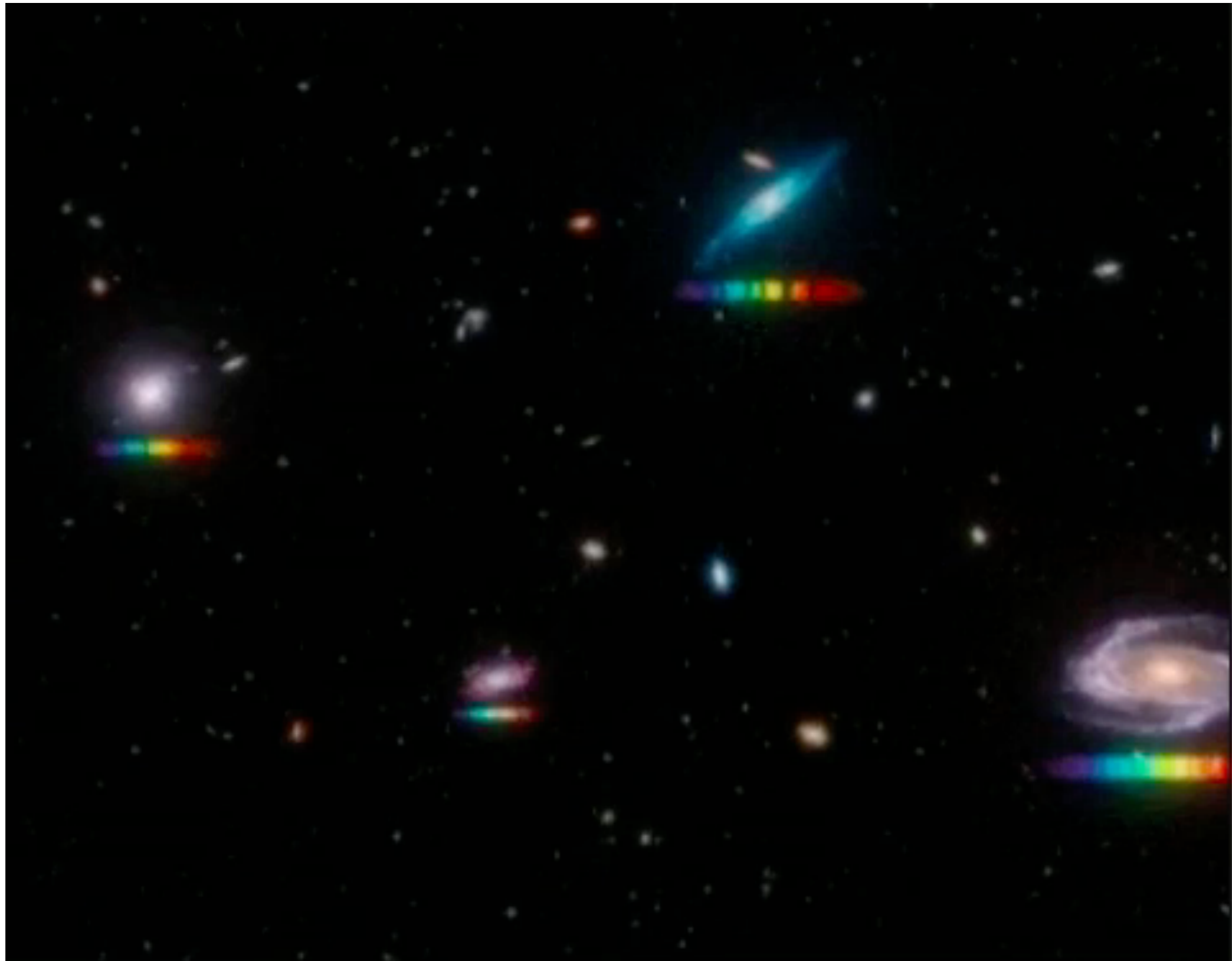


# What is Real-Time Cosmology?



GIPHY from  
COSMOS

# What is Real-Time Cosmology?



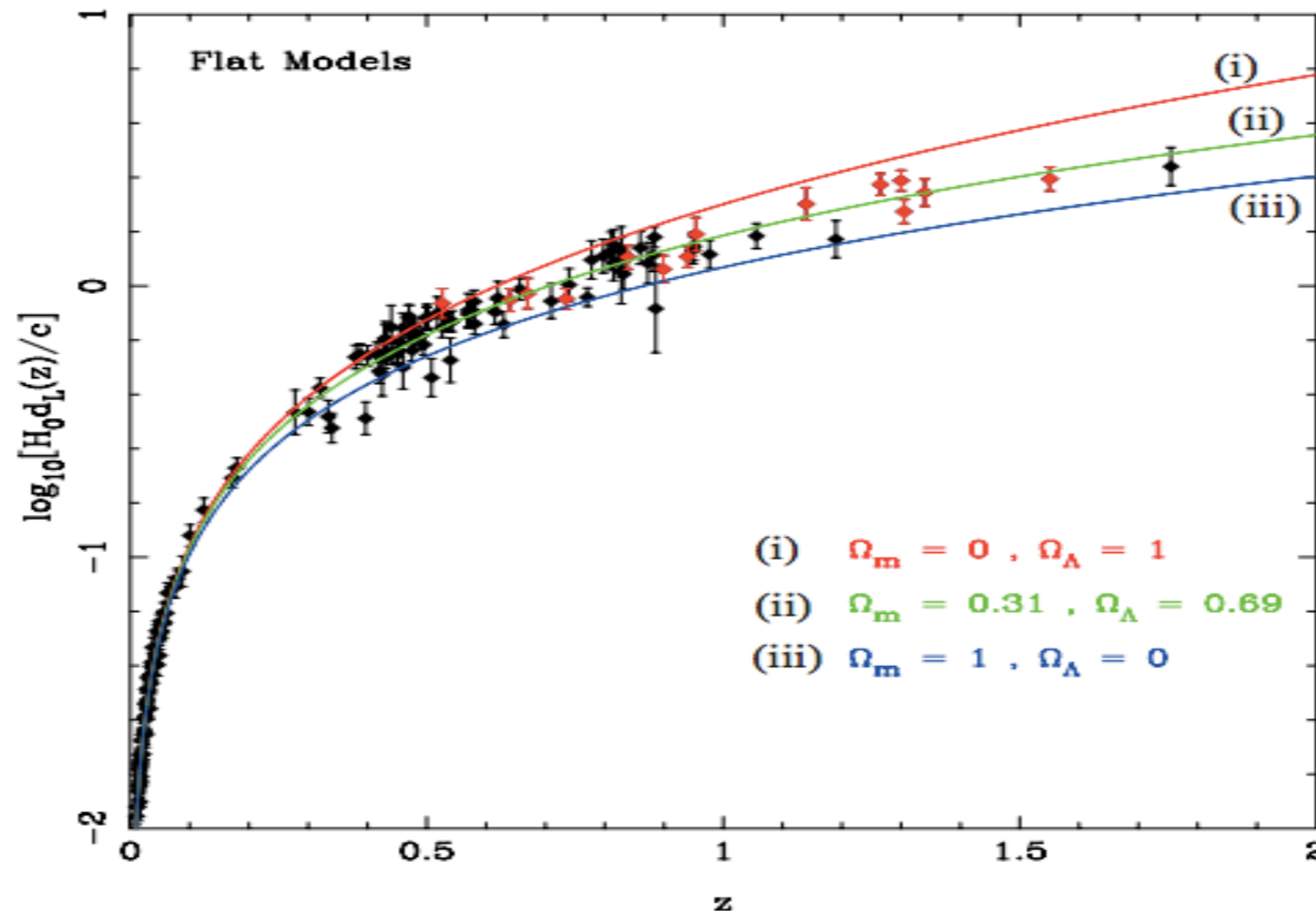
GIPHY from  
COSMOS

# What is Real-Time Cosmology?

- Measuring the temporal change of radial and transverse position of sources in the sky in real time (Quercellini+ 2010; Sandage 1962, Loeb 1998)
- Meaning, for example,  $\Delta z$  in a certain  $\Delta t$ , or,  **$dz/dt$** .
- How much did the universe expand/change in that time period
- Radial *redshift drift*
- Transverse position change
- Mass growth

# Real-Time Cosmology: Why?

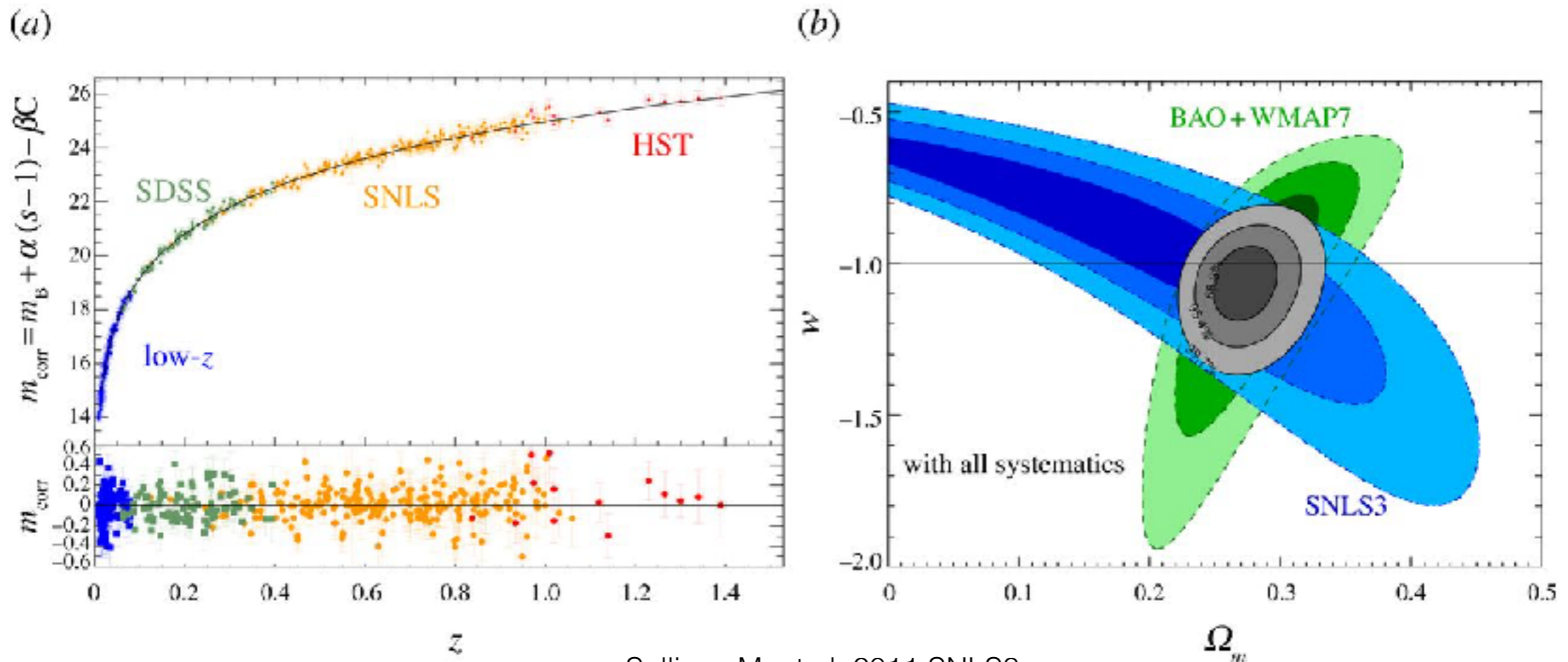
- Let's start with what we know and how: universe expanding and accelerating. How do we know? for example, Type Ia SNe, distance modulus-redshift relation:



Choudhury &  
Padmanabhan 2005

# Real-Time Cosmology: Why?

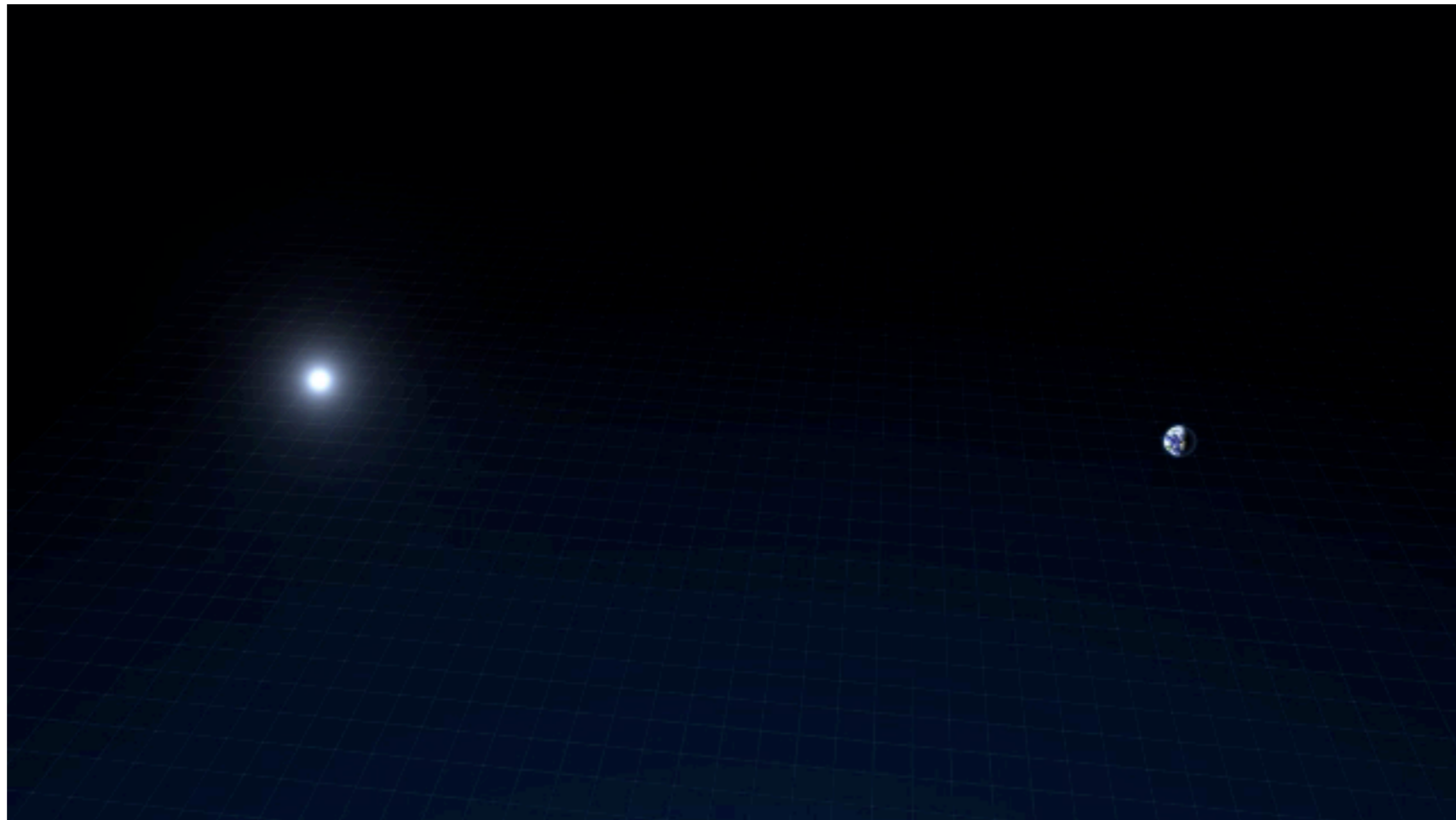
- Let's start with what we know and how: universe expanding and accelerating. How do we know? for example, Type Ia SNe, distance modulus-redshift relation:



# Real-Time Cosmology: Why?

- Multiply imaged Quasars, for example, yield  $H_0$ , through the time delay

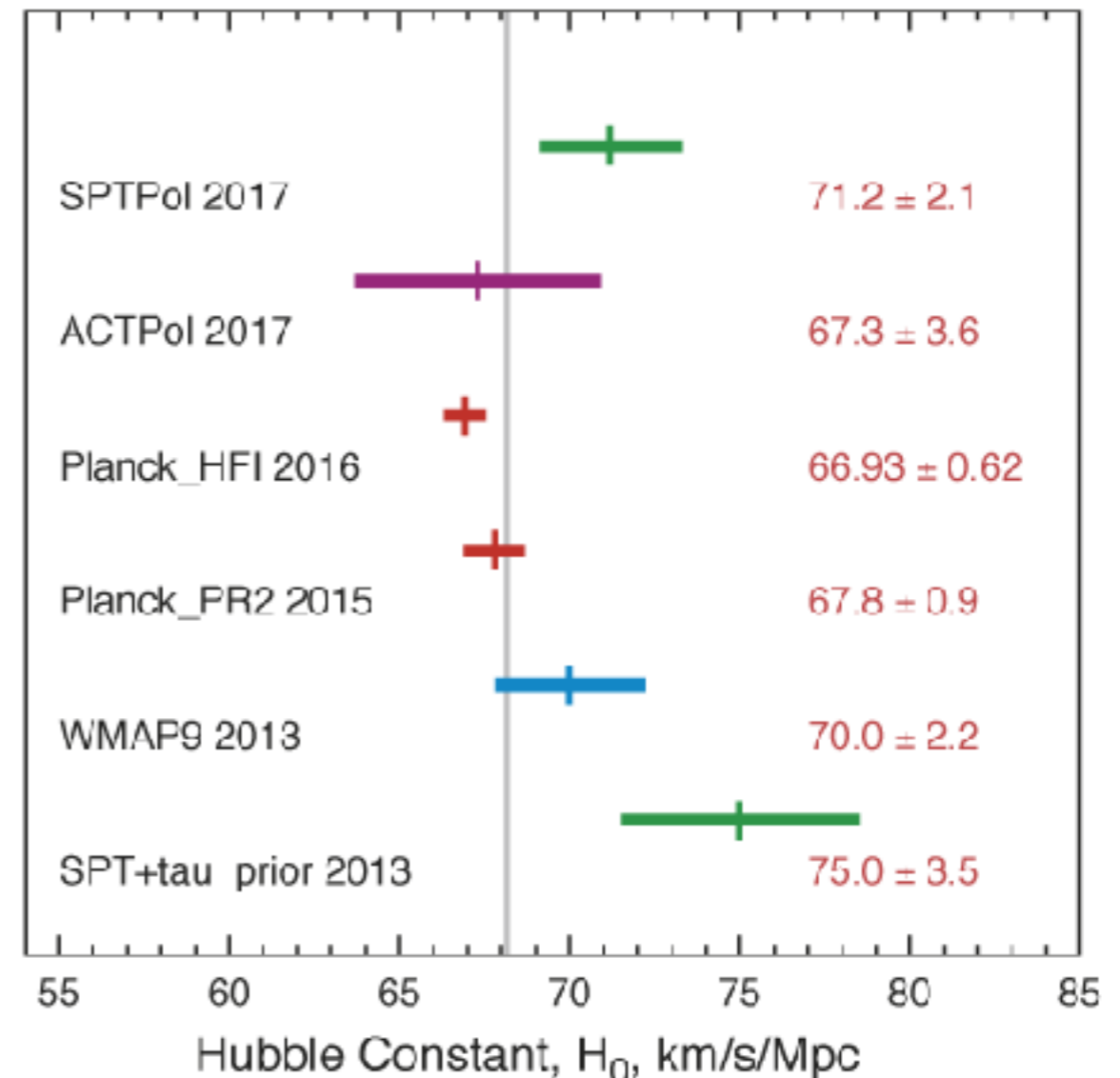
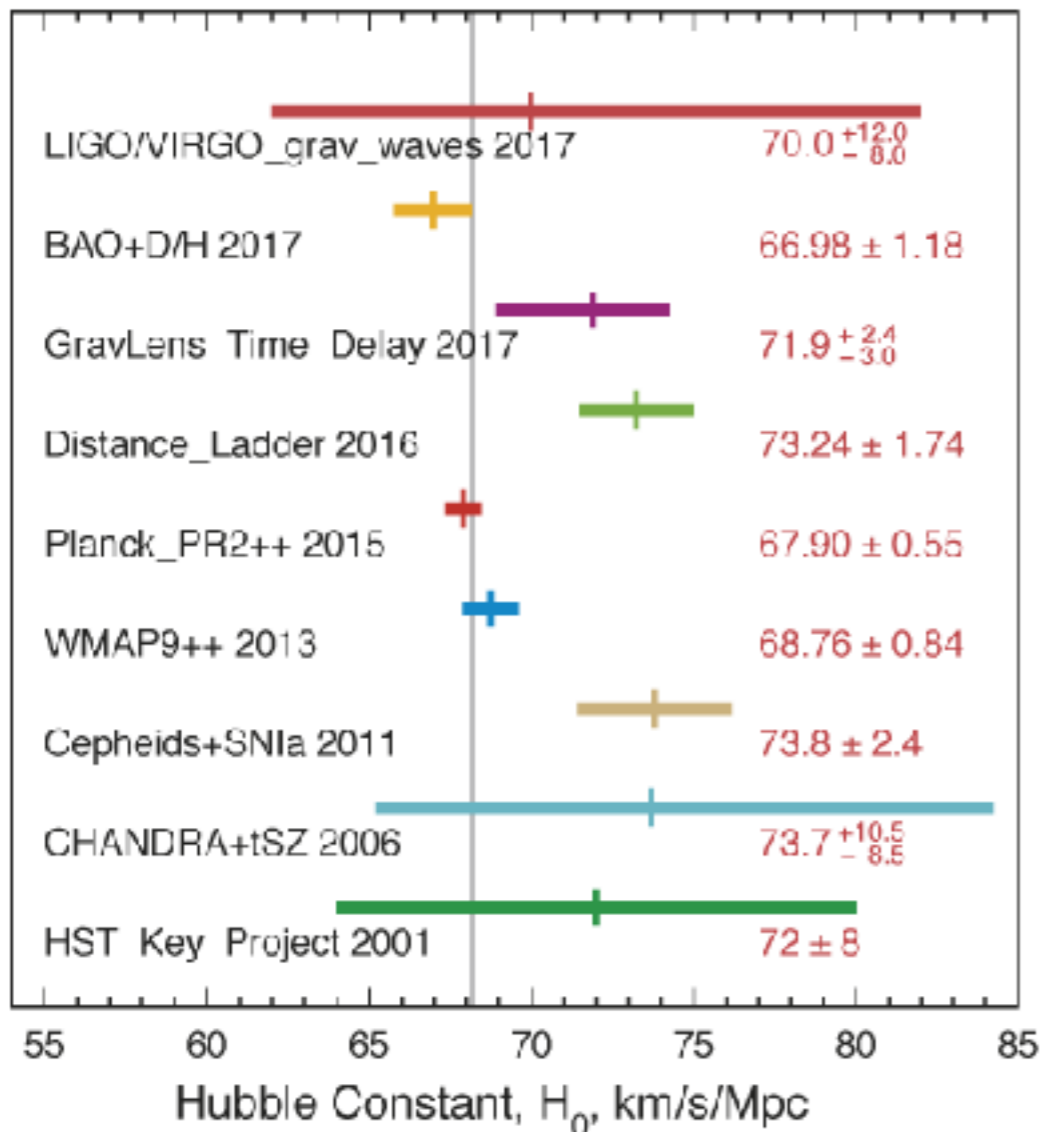
$$t(\vec{\theta}) = \frac{(1+z_d)}{c} \frac{D_d D_s}{D_{ds}} \left[ \frac{1}{2} (\vec{\theta} - \vec{\beta})^2 - \psi(\vec{\theta}) \right] \quad \text{\propto } H_0$$





# Real-Time Cosmology: Why?

- And many other probes



# Real-Time Cosmology: Why?

$$H(z) = \sqrt{H_0^2 (\Omega_{m,0} (1+z)^3 + \Omega_{\Lambda,0})},$$

$$\frac{dz}{dt_0} = (1+z)H_0 - H(z)$$

- As we know, the Hubble (Hubble -Lemaitre???) “constant” is a function of  $z$ ,  $H(z)$
- We can *characterize* the function  $H(z)$  from various probes. So we can *characterize*  $dz/dt$ . Real-Time cosmology refers to ***directly measuring*** by how much the universe changes in a certain (earthly) time period, and as a function of redshift.
- In simple words: measure universe (ie redshift) today, measure it tomorrow, see how differs.

# Challenge

- Age of universe: 13.8 Gyr,  $\sim 10^{10}$  yr
- Human lifetime: close to  $\sim 10^2$  yr
- In a human lifetime we thus witness only a  $10^{-8}$  change in universe.
- Since we can't measure nearly anything to that accuracy (redshift, distances, etc.), can't do real-time cosmology directly.
- If we wanted to observe the universe changing (esp., expanding) in real time, to say,  $\sim 1\%$  relative change, need to wait  $\sim 10^8$  yr.

# Challenge

- Example - in one earthly year:
- $dz = 1.369110185744580E-11$
- $1/R02 = 0.999999999999928459$
- $H02 = 69.9999999997746471$
- $\Omega_{M2} = 0.29999999999954929$
- $\Omega_{L2} = 0.70000000000045071$

# Ideas to bypass challenge

- Loeb 1998
- **1.** Two observations, set a few decades apart, of large samples of quasars using sensitive high-resolution spectrographs where cross-correlating the (many) Lyman-alpha absorption lines. For example CODEX experiment.
- Absorption line width of about  $\sim 20$  km/s or narrower, and hundreds of lines detectable to HI densities of  $10^{13}$  cm $^{-2}$ .
- Cosmic signal in a decade is about  $10^{-3}$  of high-res element
- Enough elements are available and enough quasars.

# Ideas to bypass challenge

- Loeb 1998
- **2.** Galaxies are fainter than quasars and thus need larger time separation to detect effect with the same signal to noise.
- How much time? about  $10^3$  years to detect signal in their spectra.
- A way to bypass: “While such time intervals might appear impractical on the scale of a human lifetime, they are accessible through the multiple images of a background galaxy that is gravitationally lensed by a foreground cluster of galaxies.” In addition, SNR aided by magnification if lensed.
- Comparison of the spectra of two multiple images should be offset by the amount corresponding to how much the universe expanded in the TD.

# **BUT: so far ideas not feasible**

- Quasars so far not stood up to the challenge and haven't supplied the required measurements.
- Multiply imaged galaxies are not point sources - measure integrated spectra so cannot measure  $z$  as accurately as required.
- Transverse (random) motion will govern signal

# Another idea:

- Time-delay between multiple images of a persistent/repeating source *will change with time* due to the radial and transverse motions of the lens (and source), and due to mass growth (Piattella & Giani 2017, Broadhurst & Oliver 1991). **Cool!**
- **BUT:** change in TD per year due to redshift drift is of order  $\sim 10^{-2} - 10^{-3}$  s. Can't measure TDs to that accuracy for any source so far.



# However, FRBs can be useful

- [Zitrin & Eichler 2018:](#)
- Note that FRB time delays can be measured to superb accuracy - because FRBs only last about  $10^{-3}$  sec.
- Very crudely estimate number of *lensed* and repeating FRBs
- Reconstruct the time delay equation to full solution (or at least higher orders)
- Characterize the expected observed shift for radial transverse and mass changes, for reasonable lenses over reasonable time scales.

# \*Estimated number of repeating FRBs

- Input: about  $7 \times 10^5$  per year above 1 Jy (or fluence of about 2 Jy ms),  $> 1 \times 10^{7.5}$  above 0.8 mJy (Keane & Petroff 2015, Foalkov & Loeb 2017) [as for the SKA array]
- At time of writing 30 FRBs known, discovered mostly over 5 years.
- If all sky rate were  $7 \times 10^5$  per year, and only  $\sim 30$  discovered, then “sky-time coverage” or fractional sky coverage (*fraction* of sky observed times observing time) is of order  $4.3 \times 10^{-5}$  yr.
- If observing time was say  $\sim 1$  year, then fraction of sky observed is about  $\sim 10^{-5}$ .
- About 1/30 repeats (with  $\sim 1$  Jy), so that **about  $N_{1\text{Jy}} \sim 10^4 - 10^5$  repeating FRBs with  $> 1$  Jy will be eventually detected across sky.**
- **Above 0.8 mJy it will be more like  $\sim 10^7$**  (the relevant volume increases).
- Magnification not taken into account.

# \*Estimated number of repeating FRBs lensed by clusters/galaxies

- $10^4$  massive clusters in sky
- cross section for multiple images about 10 arcsec<sup>2</sup>, or  $10^{-6}$  sq. deg.
- So in total  $10^{-2}$  sq. degrees across sky. With  $4 \times 10^4$  sq. deg. of sky and  $\sim 10^7$  repeating FRBs with SKA-like sensitivity, **a few to  $\sim 10$  repeating FRBs lensed by some rich cluster** (not too many! see quasars).
- But **by galaxies many more, perhaps up to  $\sim 10^4$ .**

# Conclusion

- FRB time delays can be measured to high enough accuracy to allow for real-time cosmology (repeating FRBs!)
- Depending on rate/number of course (need enough lensed repeating ones).
- Transverse component governs effect (change in TD of 0.1-1 s per year), but might be averaged out with many sources. of course the transverse effect itself is very interesting.
- Radial effect and mass assembly effects are of same order, ( $10^{-2}$ - $10^{-3}$  s roughly), to be distinguished statistically or by new means.

**Thank you.**

